$\qquad$

In grade 9 you studied Linear Relations and now you will study Quadratic Relations. From the work that we have already done with quadratics, compare and contrast the two relationships.

## Linear Relations

## Equation:

Ex:

Properties:

## Quadratic Relations

Equation:

Ex:

Properties:

Note: The highest exponent in a one-variable algebraic expression is called the degree.

What is the easiest way to graph something? Make a table of values (tov for short!)
Recall: To create a table of values (or TOV).

1. Pick a value for $x$.
2. Substitute the $x$-value into the equation.
3. Solve for $y$.
4. Repeat for several other values of $x$.
5. Plot each point $(x, y)$ on the $x-y$ plane.

Ex.: Create a TOV for $y=2 x+1$
' $\Delta$ ' (delta) means "change in" or "difference". $\Delta y$ is the change in $y$, or the first difference.

| $\boldsymbol{x} \boldsymbol{x}$ | $\boldsymbol{y}$ | $\Delta y=y_{2}-y_{1}$ |
| :---: | :--- | :--- |
| -2 |  |  |
| -1 |  |  |
| 0 |  |  |
| 1 |  |  |
| 2 |  |  |

In a linear relationship, the first differences are $\qquad$ .

Now let's look at quadratics!
Ex.: Create a TOV for $y=x^{2}$

| $\boldsymbol{x}$ | $\boldsymbol{y}$ | $\Delta y=y,-y_{1}$ |  |
| :--- | :--- | :--- | :--- |
| -2 |  |  |  |
| -1 |  |  |  |
| 0 |  |  |  |
| 1 |  |  |  |
| 2 |  |  |  |

$\Delta^{2} y$ is the change in $\Delta y$, or change in $1^{\text {st }}$ differences.
$\Delta^{2} y$ is the second difference.

In a quadratic relationship, first differences are $\qquad$
and second differences are $\qquad$

Use your table of values to graph $y=x^{2}$


This shape is called a $\qquad$

Ex.: Create a TOV for $y=-x^{2}+2 x+3$

| $\boldsymbol{x}$ | $\boldsymbol{y}$ | $\Delta y=y_{2}-y_{1}$ |  |  |  | $\Delta^{2} v=\Delta v_{2}-\Delta v_{1}$ |
| :--- | :--- | :--- | :--- | :---: | :---: | :---: |
| -2 |  |  |  |  |  |  |
| -1 |  |  |  |  |  |  |
| 0 |  |  |  |  |  |  |
| 1 |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |

In a quadratic relationship,
first differences are $\qquad$
and second differences are $\qquad$

Ex.: Create a TOV for $y=2(x-1)(x+1)$

| $\boldsymbol{x}$ | $\boldsymbol{y}$ |  | $\Delta y=y_{2}-y_{1}$ |
| :--- | :--- | :--- | :--- |
|  |  |  | $\Delta^{2} v=\Delta v,-\Delta v$, |
| -2 |  |  |  |
| -1 |  |  |  |
| 0 |  |  |  |
| 1 |  |  |  |
| 2 |  |  |  |

In a quadratic relationship,
first differences are $\qquad$
and second differences are $\qquad$

Use your table of values to graph
$y=-x^{2}+2 x+3$


Use your table of values to graph $y=2(x-1)(x+1)$


Ex.: Create a TOV for $y=-0.4(x-3)(x+2) \quad$ Use your table of values to graph

$$
y=-0.4(x-3)(x+2)
$$

| $\boldsymbol{x}$ | $\boldsymbol{y}$ |  |  |
| :--- | :--- | :--- | :--- |
| -2 |  | $\Delta y=y_{2}-y_{l}$ |  |
| -1 |  |  | $\Delta^{2} v=\Delta v_{0}-\Delta v_{1}$ |
| 0 |  |  |  |
| 1 |  |  |  |
| 2 |  |  |  |

In a quadratic relationship,
first differences are $\qquad$
and second differences are $\qquad$


Can you predict from the equation that the parabola is opening up? If yes, how?

Can you predict from the equation that the parabola is opening down? $\qquad$ If yes, how?

Can you predict from the equation the value of the second differences? $\qquad$ If yes, how?

Assigned Work:
p. 137 \# 1, 2, 3, 4, 5ab, 6, 7

