

Factoring Complex Trinomials ($ax^2 + bx + c$, $a \neq 1$)Part 2Breaking Up the Middle Term (bx)Expand $(x + 4)(2x + 3)$. What are the x-terms?

$$\begin{aligned}
 &= 2x^2 + 6x + x + 3 \\
 &= 2x^2 + 7x + 3
 \end{aligned}$$

	x	$+ 3$
$2x$	$2x^2$	$6x$
$+4$	$4x$	3

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Factoring Complex Trinomials ($ax^2 + bx + c$, $a \neq 1$)Part 2

March 29/2011

Expand $(x + 4)(2x + 3)$. What are the x-terms?

$$(x + 4)(2x + 3) = 2x^2 + 3x + 8x + 12$$

$$= 2x^2 + 11x + 12$$

expand & simplify

factoring

To factor $2x^2 + 11x + 12$, we need to do these steps in reverse order.

How do the numbers 3 and 8 relate to 2, 11, and 12?

$$3 + 8 = 11$$

$$3 \times 8 = 2 \times 12 = 24$$

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Once you have broken the middle term, you can factor by grouping

$$\begin{aligned}
 2x^2 + 11x + 12 &= 2x^2 + 3x + 8x + 12 \\
 &= \underline{x(2x+3)} + \underline{4(2x+3)} \\
 &= x \text{ a } + 4 \text{ a } \\
 &= \text{a}(x+4) \\
 &= (2x+3)(x+4)
 \end{aligned}$$

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Ex. Factor $6m^2 + 13m - 5$

Numbers add to: 13 (sum)

Numbers multiply to: -30 (product) 6(-5)

Numbers are:

15 and -2 (integers)

This technique is called SPI
(sum, product, integers)

S - sum
P - product
I - integers

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Ex. Factor $6m^2 + 13m - 5$

Numbers are: **-2** and **15**

Now factor by grouping:

$$\begin{aligned}
 6m^2 + 13m - 5 &= \overbrace{6m^2 + 15m}^{13m} - 2m - 5 \\
 &= 3m(2m+5) - 1(2m+5) \\
 &= (2m+5)(3m-1)
 \end{aligned}$$

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Ex. Factor: $10x^2 - 11x - 6$

↑
negative
integer
is larger.

$$\begin{aligned}
 &= 10x^2 + 4x - 15x - 6 \\
 &= 2x(5x+2) - 3(5x+2) \\
 &= (5x+2)(2x-3)
 \end{aligned}$$

S: -11

P: -60

I: ~~-1, 60~~

1, -60

~~-2, 30~~

2, -30

~~-3, 20~~

3, -20

~~-4, 15~~

4, -15

~~-5, 12~~

5, -12

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Assigned Work:

p.223-224 #3bc, 4bc, 5abc, 6,
#7abc, 11, 15, 17(Challenging)

Look for common factors first!!!

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