


## Applications of Quadratics in Factored Form

1. A rectangular lot is bounded on one side by a river and on the other three sides by 80m of fencing. Determine the dimensions of the largest lot possible.


 $A = w \times h$  *maximum area*  
 $2w + h = 80$   
*want equation with only w or only h.*  
 rearrange  $2w + h = 80$   
 $h = 80 - 2w$   
 sub h into  $A = w \times h$   
 $A = w \times (80 - 2w)$   
 $A = w(80 - 2w)$  *factored form*  
 for zeroes, set  $A = 0$   
 $0 = w(80 - 2w)$   
 $w = 0$  or  $80 - 2w = 0$   
 $\frac{80}{2} = \frac{2w}{2}$   
 $w = 40$   
 $w_v = \frac{0 + 40}{2}$   
 $= 20$   
 sub  $w = 20$  into  $h = 80 - 2w$   
 $= 80 - 2(20)$   
 $= 80 - 40$   
 $= 40$   
 $\therefore$  the dimensions of the largest lot are 20m wide by 40m high

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2. Supermarket cashiers try to memorize current sale prices while they work. A study showed that, on average, the percent,  $P$ , of prices memorized after  $t$  hours is given approximately by the formula

$$P = -40t^2 + 120t$$

What is the greatest percent of prices memorized, and how long does it take to memorize them?

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3. The cost of a ticket to a hockey arena which seats 800 people is \$3. At this price, every ticket is sold. A survey indicates that for every dollar increase in price, attendance will fall by 100 people. What ticket price results in the greatest revenue? What is the greatest revenue?

$$\text{Revenue} = (\# \text{ of tickets}) \times (\text{cost per ticket})$$

$$2400 = 800 \times 3$$

$$2800 = 700 \times 4$$

$$R = (800 - 100x) \times (3 + x)$$

Let  $x$  represent the # of \$ increases

for zeroes, set  $R = 0$

$$0 = (800 - 100x)(3 + x)$$

$$800 - 100x = 0 \quad \text{or} \quad 3 + x = 0$$

$$800 = 100x \quad \boxed{x = -3}$$

$$\boxed{x = 8}$$

$$x_v = \frac{8 + (-3)}{2}$$

$$= \frac{5}{2}$$

$$= 2.5$$

$\therefore$  max revenue  
at a ticket price  
of  $3 + 2.5 = 5.5$

for greatest  $R$ , sub  $x = 2.5$

$$R = (800 - 100(2.5))(3 + 2.5)$$

$$= (800 - 250)(5.5)$$

$$= (550)(5.5)$$

$$R = 3025$$

$\therefore$  max revenue is \$3025

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4. Determine the number which exceeds its square by the greatest possible amount.

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Assigned Work: #2 from handout

p. 282 #6, 14, 16, 19  
p. 300 # 14c, 15