# MPM2D Examination Exam A, 2012

Length: 3 hours

(Exam set for 2 hrs. + 1 hr. flex time)



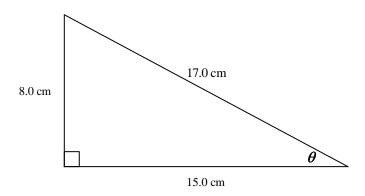
| Name    | :        |  |
|---------|----------|--|
| Teacher | <b>:</b> |  |
| School  | :        |  |

#### Instructions to students:

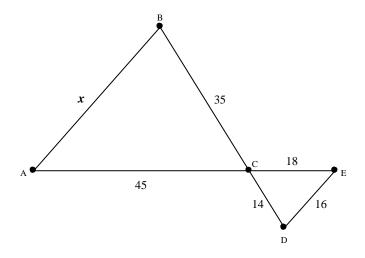
- 1. This examination booklet is **13 pages** long. Please check that you have all the pages.
- 2. Answer all questions with complete solutions in the spaces provided on the examination paper.
- You may use any school-approved calculator on this examination.
  Make sure that your calculator is in **DEGREE** mode.
  Do **not** share your calculator.
- 4. There is a formula sheet that goes with the examination.
- 5. Diagrams are not drawn to scale.

## A) Trigonometry

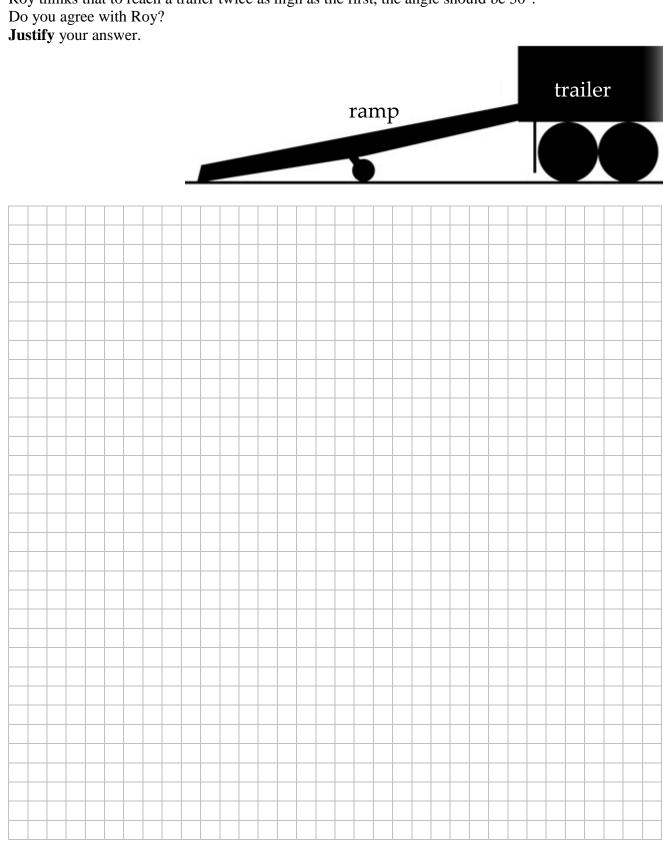
**A1**) **Determine** the value of  $\theta$  to the nearest degree.



#### **A2**) **Determine** the value of x.



Rick can place a 10 foot long ramp at an angle of  $15^{\circ}$  to reach a trailer. **A3**) Roy thinks that to reach a trailer twice as high as the first, the angle should be 30°. Do you agree with Roy?



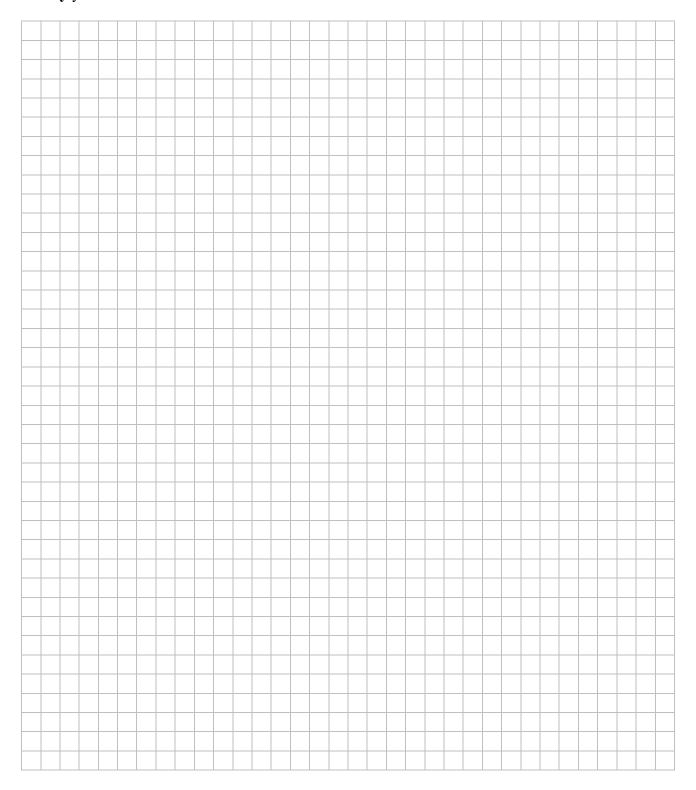
A4) Robin forgot her homework again so she calls Scott and he tells her about it.

She has to determine the length of the third side of a non-right triangle if one of the angles is  $50^{\circ}$  and other sides are 15.0 cm and 10.0 cm

Scott forgot to tell her which angle was 50°.

**Determine** <u>all possible lengths</u> of the third side that Robin could calculate, rounded to one decimal place.

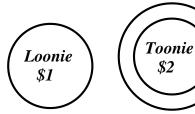
**Justify** your answer.

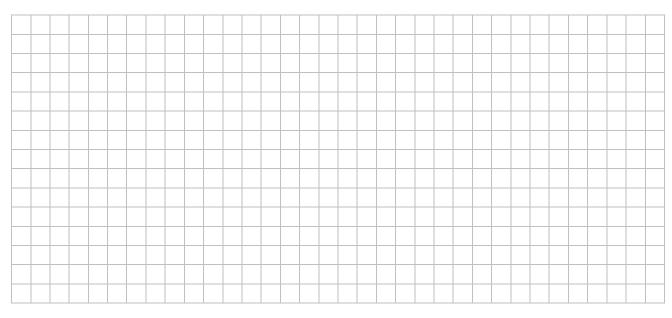


### **B)** Analytic Geometry

**B1**) Phil has 83 coins made up of Loonies and Toonies. He has a total of \$137.

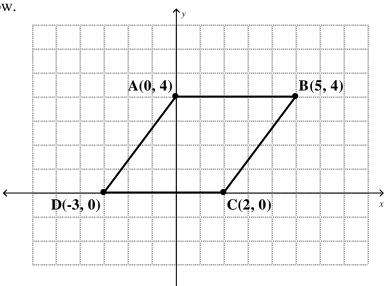
**Determine** the number of Loonies that Phil has.





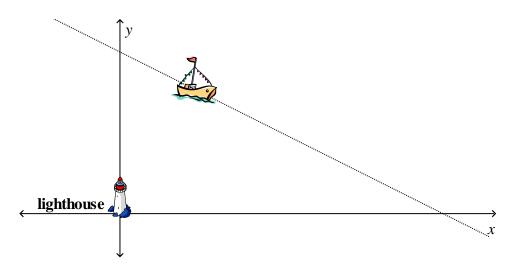
 $B2) \hspace{0.5cm} \textbf{Identify} \hspace{0.1cm} \textbf{the type of quadrilateral shown below.}$ 

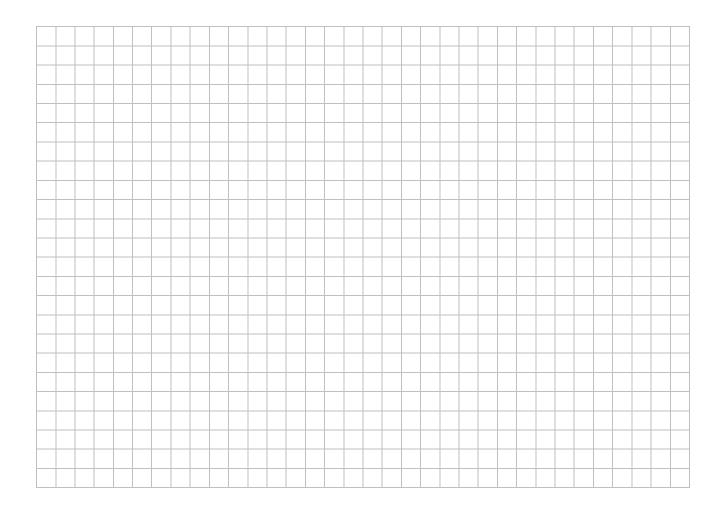
Justify your answer.

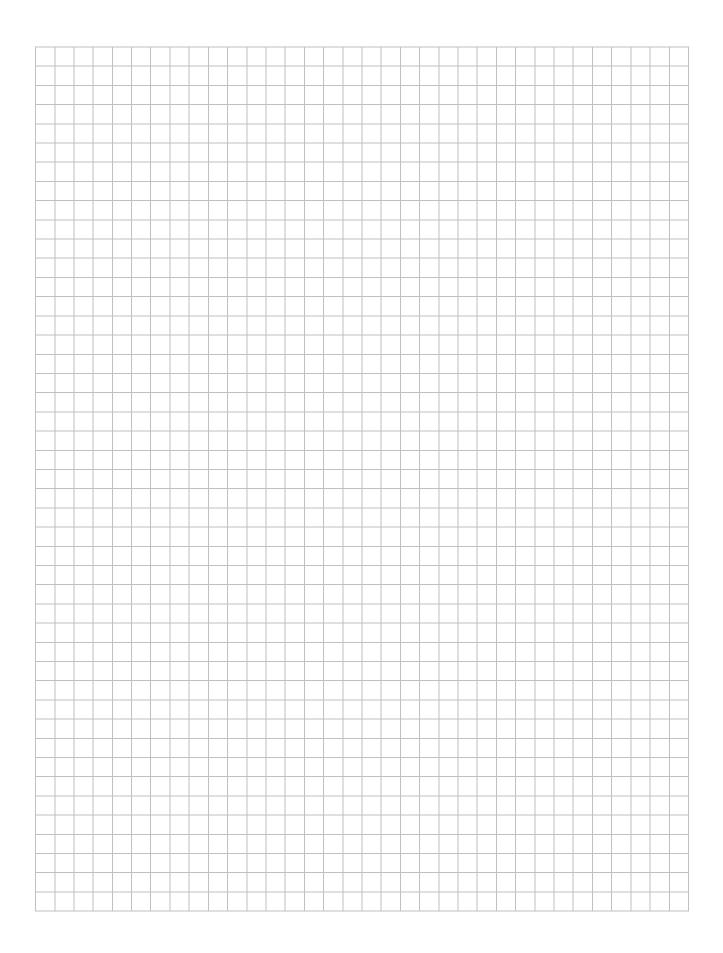


**B3**) A boat is travelling on a path defined by  $y = -\frac{1}{2}x + \frac{17}{2}$  where x and y are measured in kilometres.

A lighthouse, located at the origin, can detect boats up to 8 km away. **Determine** if the boat gets close enough to the lighthouse to be detected.



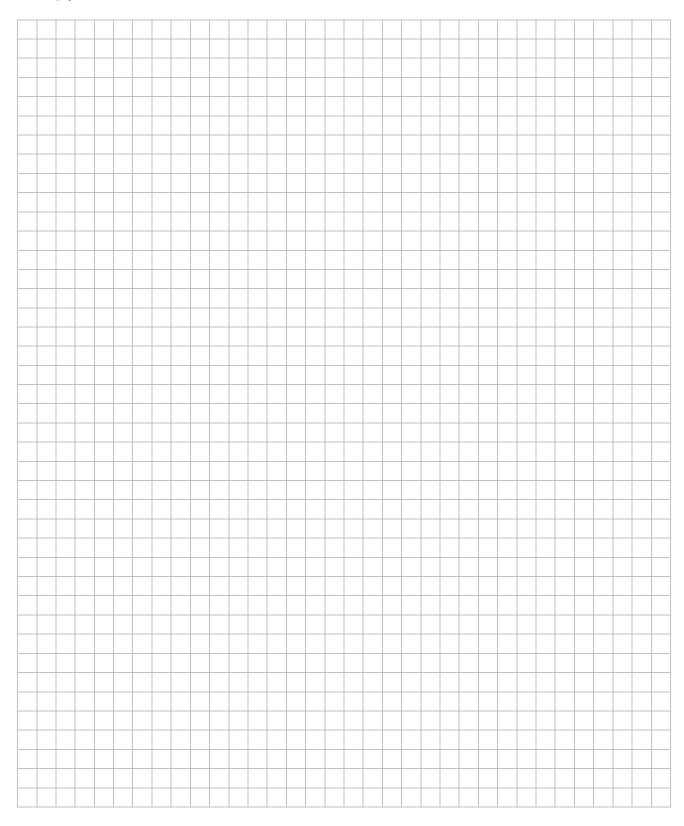




**B4**) For homework Barney is graphing the line with equation 5x + 3y = 240.

For fun, he switched the coefficients of the variables yielding the equation 3x + 5y = 240 and noticed that the two lines crossed.

Does switching the coefficients of  $\underline{\text{any equation}}$  of this form result in one point of intersection? **Justify** your answer.



## C) Quadratic Relations

C1) The parabola with equation  $y = -2(x+3)^2 - 4$  is moved 4 units up and 5 units to the right. **State** the equation of the new parabola.

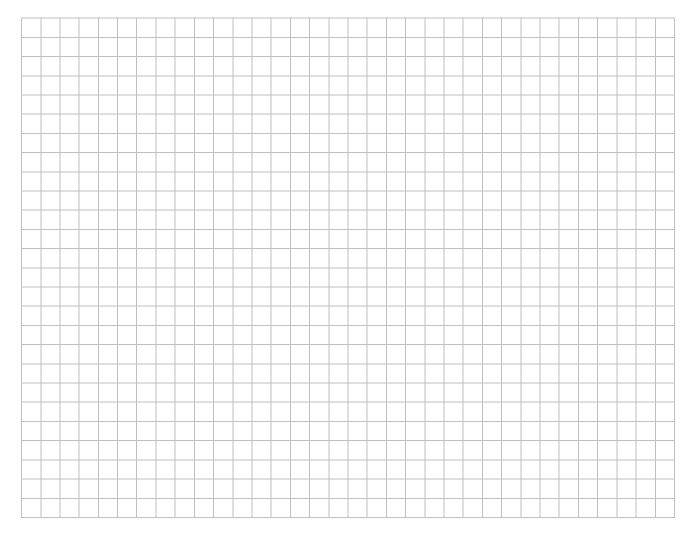
Justify your answer.

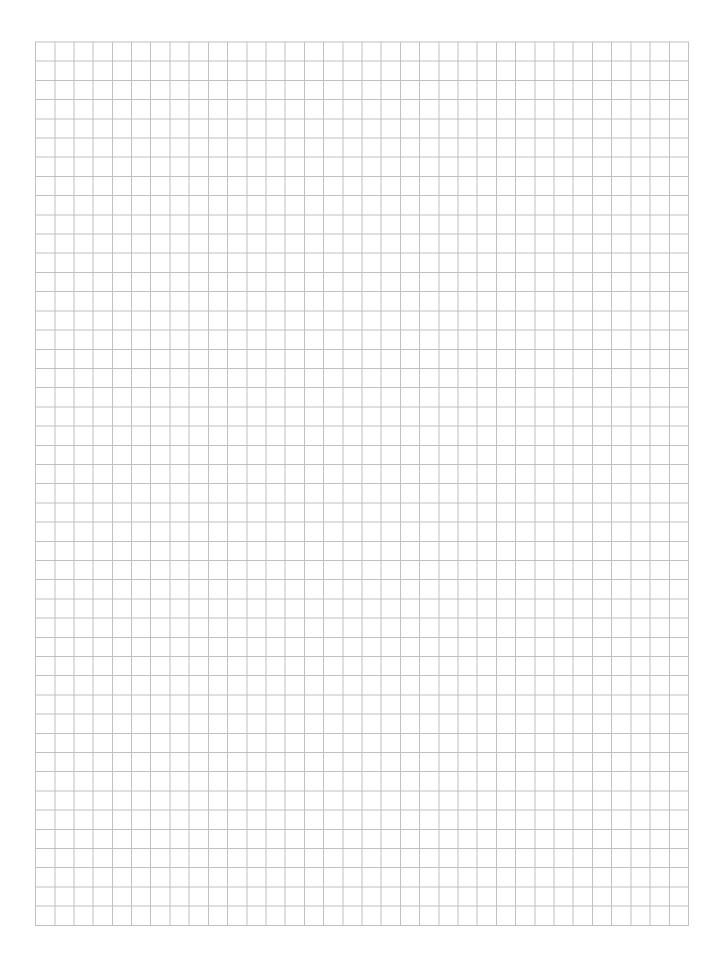


C2) Solve the equation  $10x^2 + x = 2$ .

**C3**) **Compare** the properties of the three quadratic relations given below.

| Model 1  | Model 2  | Model 3        |
|--|--|----------------|
| x      y        -2      0        -1      5        0      8        1      9        2      8        3      5        4      0 | $\begin{array}{c} \uparrow y \\ \hline \\ -4 \\ \hline \\ \end{array}$ | y = (x+2)(x-4) |





C4) Select values of a and h so that the quadratic relation with equation  $y = a(x-h)^2 + 60$  models a real life scenario.

**Explain** the connection between the features of the parabola and the scenario you have modeled.

