

- You win \$1.5 million in a lottery and invest it in a GIC that earns 5% per annum, compounded yearly.
 - What is it worth after 4 years? (\$1,823,259.38)
 - When will it double in value? (14.2 years)
- Your new car cost \$23,000 new and depreciates (i.e., loses value) 30% annually. You want to trade it in when it reaches a value of \$10,000. How long should you keep the car? (2.3 years)
- A weight-loss program claims that, after the first two days, weight loss is exponential. The weight loss is expressed as a percent of the client's changing weight. A client who is participating in the program has a weight of 98 kg four days after starting the program. After 20 days, the weight is 95 kg.
 - What will the weight be after 40 days? (91.2kg)
 - What is the rate of weight loss? Express this value as a percent per day. (about 0.2% per day)
- Newton's Law of Cooling: $T = (T_0 - S)e^{kt} + S$, where T is the final temperature, T_0 is the initial temperature, S is the temperature of the surroundings, k is a constant, and t is time.

Suppose you are sitting outside on a summer day reading a book. The book reaches a temperature of 30°C. When you bring the book indoors (22°C), it takes 20 minutes before the book cools to 25°C. How much more time will pass before the book reaches 22.5°C? (36.6 minutes)

- The logistic equation, $P(t) = \frac{A}{1 + be^{-kt}}$, is a function that models a population in which the growth is initially rapid but eventually levels off. The growth of a bacterial culture is modelled where $A = 6$, $b = 6$, and $k = 0.3$, where $P(t)$ models the mass of the culture in grams.
 - What is the initial mass of the culture? (0.857 g)
 - Graph $P(t)$ using graphing technology, and use your graph to show that the maximum mass is 6 grams.
- Karen packs her lunch each morning at 7am and includes a frozen juice box (-10°C). At school, the lunch sits in her locker at room temperature (20°C) until lunch (noon). At 10am, the juice is still frozen (-2°C). What will the juice temperature be at lunch? (2.1°C)
- The following data represents a car's velocity, $v(t)$, after the driver steps on the brake, where t measures how long the driver has been braking in seconds.

Time (s)	2	4	6	8	10
Velocity (km/h)	31	20	14	9	5

- Create an algebraic model for this data. $v(t) = (49.8675)(0.8006)^t$
 - Determine when the driver has 'stopped' the car. The model fails for $v=0$, so solve for $v=0.1$. ($t = 28$ s)
 - What was the initial velocity when the brakes were first applied? (50 km/h)
- Kenneth paid \$16,000 for a car which depreciates 30% per year. At the same time, Karen paid \$8,000 for a painting which will appreciate 3% per year. When will their investments be worth the same amount? (1.79 years)
 - The spread of a flu virus through a population of 1000 people is modelled by $N(t) = \frac{1000}{1 + 990e^{-0.7t}}$, where $N(t)$ is the total number infected after t days. How long will it take for 901 people to be infected? (13 days)