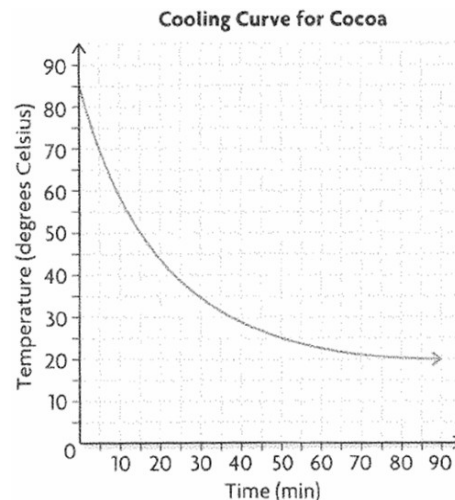


**Exponential Applications**

Ex.1 A cup of hot cocoa left on a desk in a classroom had its temperature measured once every minute. The graph shows the relationship between the temperature of the cocoa, in degrees Celsius, and time, in minutes. A graph that represents data or a relationship is often referred to a *graphical model*.

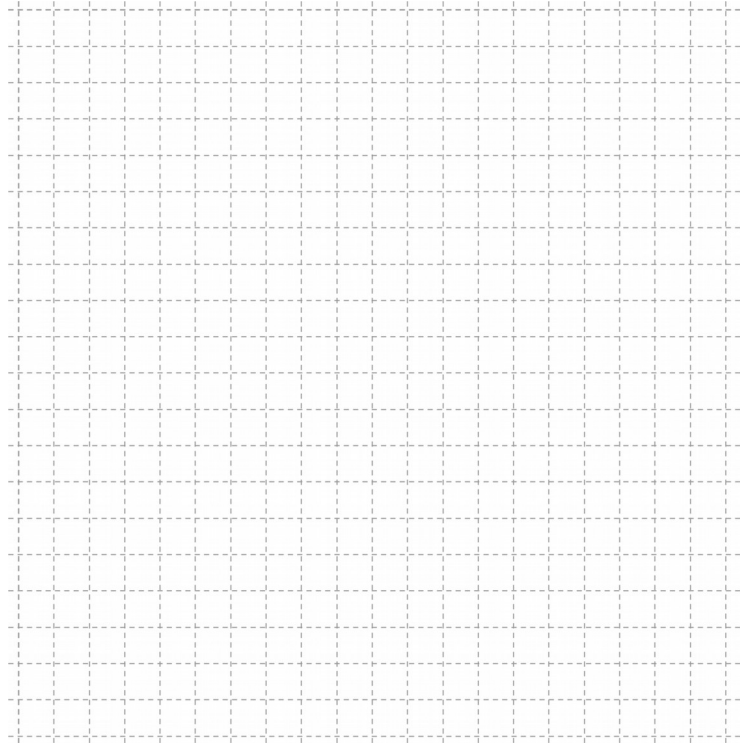


- a) What was the temperature of the cocoa at the start of the experiment? \_\_\_\_\_
- b) What was the temperature after one hour? \_\_\_\_\_
- c) What was the temperature of the classroom? \_\_\_\_\_
- d) At what time was the cocoa at a temperature of  $35^{\circ}\text{C}$ ? \_\_\_\_\_
- e) Determine an algebraic model for this graph using *hours* as the unit of time.
- f) Modify your model to use *minutes* as a reference of time.

Ex.2 A tennis ball is dropped from a height of 10 m. Each time the ball touches the ground, it bounces up to 45% of the maximum height of the previous bounce.

- a) Create a table of values to determine the height of the ball for the first 4 bounces. Use this table to graph the height of the ball versus the number of bounces.

Number of Bounces	Height of Ball ( $m$ )
0	
1	
2	
3	
4	



- b) Determine the equation that models the maximum height of the bounce after  $n$  bounces. The equation is often referred to as an *algebraic model*.

- c) Estimate the number of bounces required for the bounce height to be 10% or less of the starting height.

### **Assigned Work:**

1. The table shows Alex's weekly earnings over a 5-year period.

<i>Year</i>	<i>Earnings (\$)</i>
2004	550.00
2005	566.50
2006	583.50
2007	601.00
2008	619.03

- Use the table to construct a graphical model for the data.
  - Determine an algebraic model for the data.
  - Predict Alex's weekly earnings in the year 2012.
  - Predict when Alex might expect to earn more than \$850 per week.
2. The table gives the value of Ian's car  $x$  years after she purchased it.

Year	Value of the Car (\$)
1	12000
2	9600
3	7680
4	6140
5	4920

- Use the table to construct a graphical model of the data.
  - What number is the value of the car approaching (getting closer to)?
  - Determine the most likely purchase price of the car.
  - Determine an algebraic model for the data.
  - Determine the approximate value of the car in 2010, if year 1 represents 2003.
3. The population of a small town appears to be increasing exponentially. Town planners need a model for predicting the future population. In 1980, the population was 35 000, and in 1990, the population was 57 010.
- Create an algebraic model for the town's population growth; use a graph if you find it helpful.
  - Check your model by using the fact that the population in 1995 was 72 800.
  - What will the population be in 2010?
4. Text: p.25 # 16