

Determining Equations of Trigonometric Functions

Dec 9/2019

1. Unless specified, choose sine or cosine as parent function.

$$f(x) = a \sin [k(x-p)] + q$$

2. Identify key properties of period and axis of the curve and use them to determine k and q .

*For simplicity, always choose k to be positive.

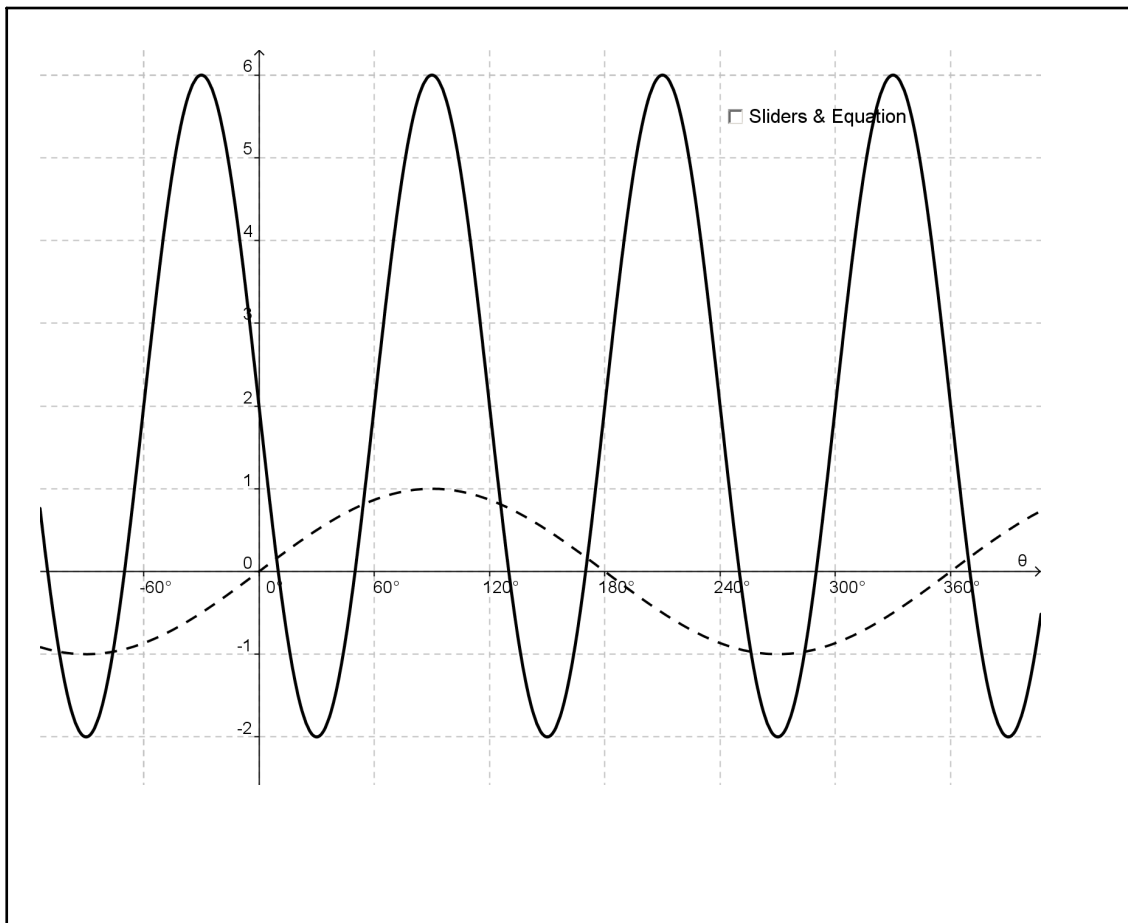
3. Identify key properties of amplitude and phase shift and use them to determine a and p .

These properties may vary depending on the parent function you have selected.

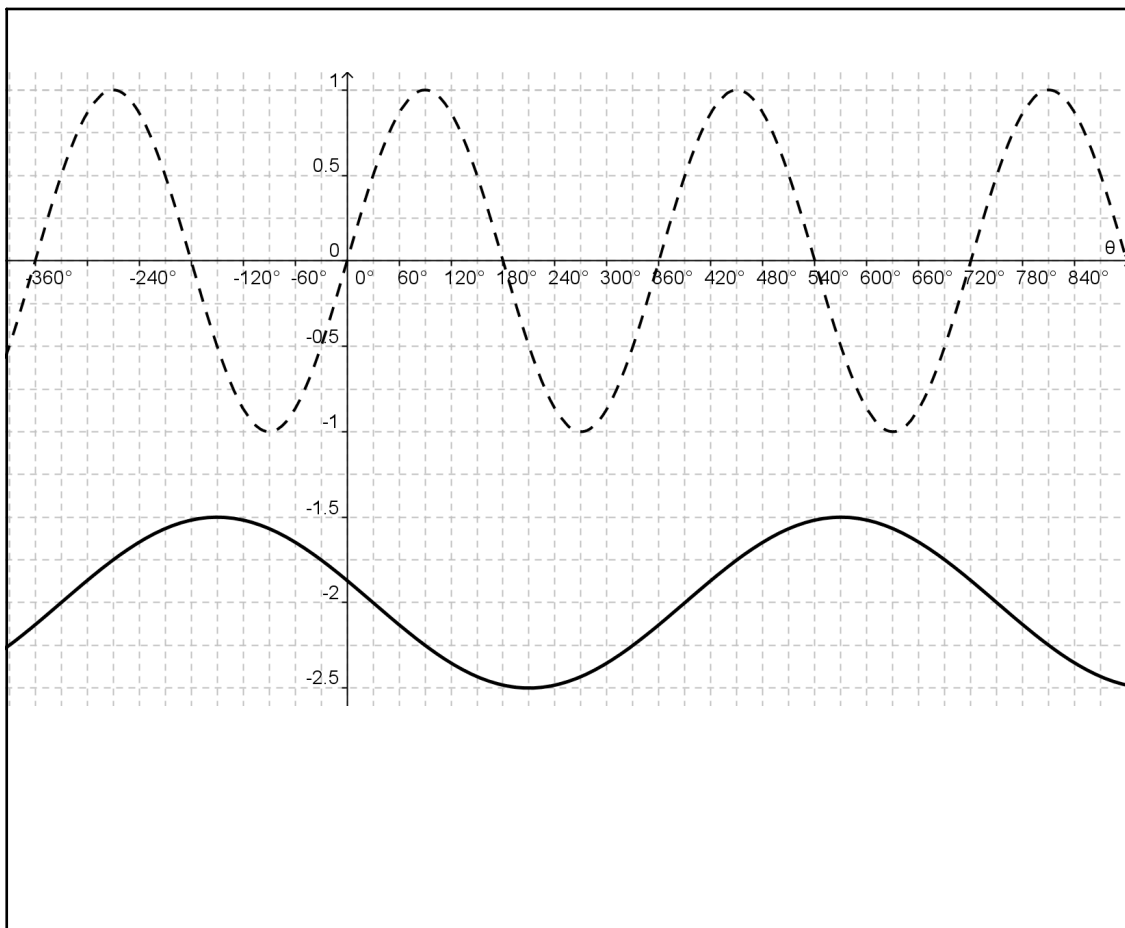
* Note: It is always possible, through choices of p (*phase shift*), to have a positive a -value and k -value.

4. Write the equation, remembering that multiple answers may correctly represent the same graph.

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Assigned Work:

finish worksheet

p.391 # (1-7)(ac if applicable), 8, 11, 14

5ac 8cd
7

$$5(a) \quad y = \cos(3x) + 2$$

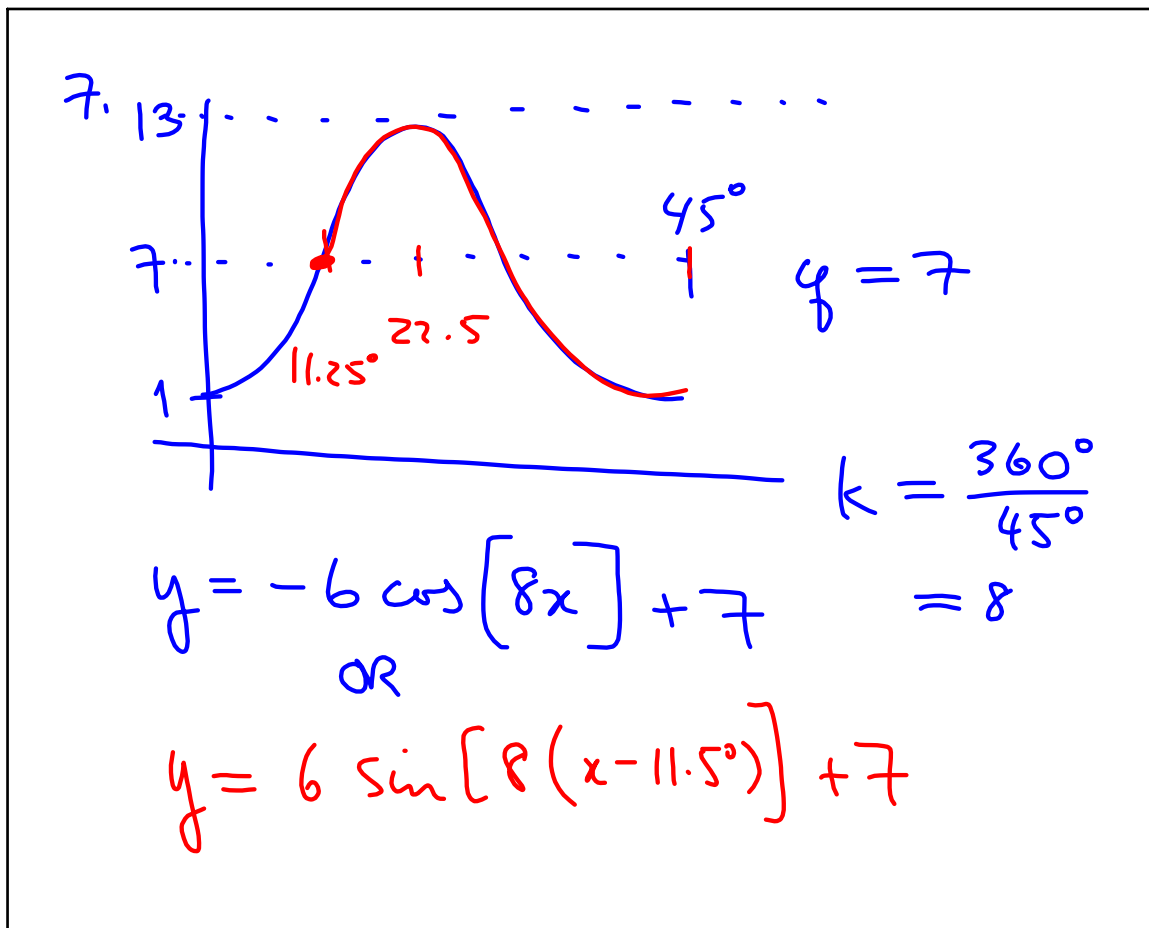
or

$$y = \sin(3(x - 30^\circ)) + 2$$

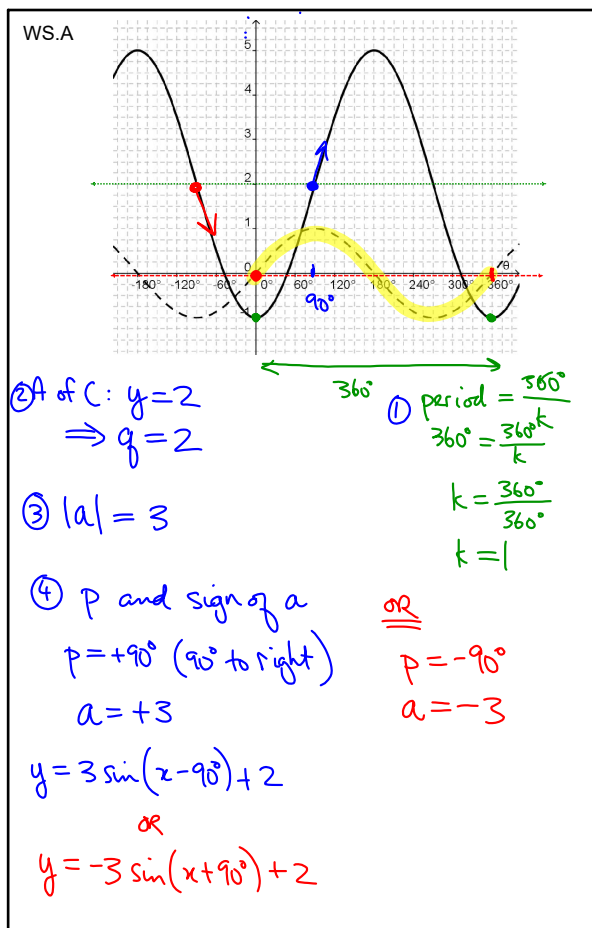
$$\text{period} = \frac{360^\circ}{k}$$

$$k = \frac{360^\circ}{\text{period}}$$

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WS.B

① period = $\frac{360^\circ}{k}$
 $k = \frac{360^\circ}{\text{period}}$
 $k = 2$

② A of C: $y = -3, q = -3$

③ $|a| = 2$

④ $p = +30^\circ, a = +2$

$y = 2 \sin(2(x-30^\circ)) - 3$
 OR
 $y = -2 \sin(2(x+60^\circ)) - 3$

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14.

period? time for 1 revolution?

distance = C
 $= 2\pi r$ — $r = 7m$
 $= 14\pi$
 units m

$d = vt$

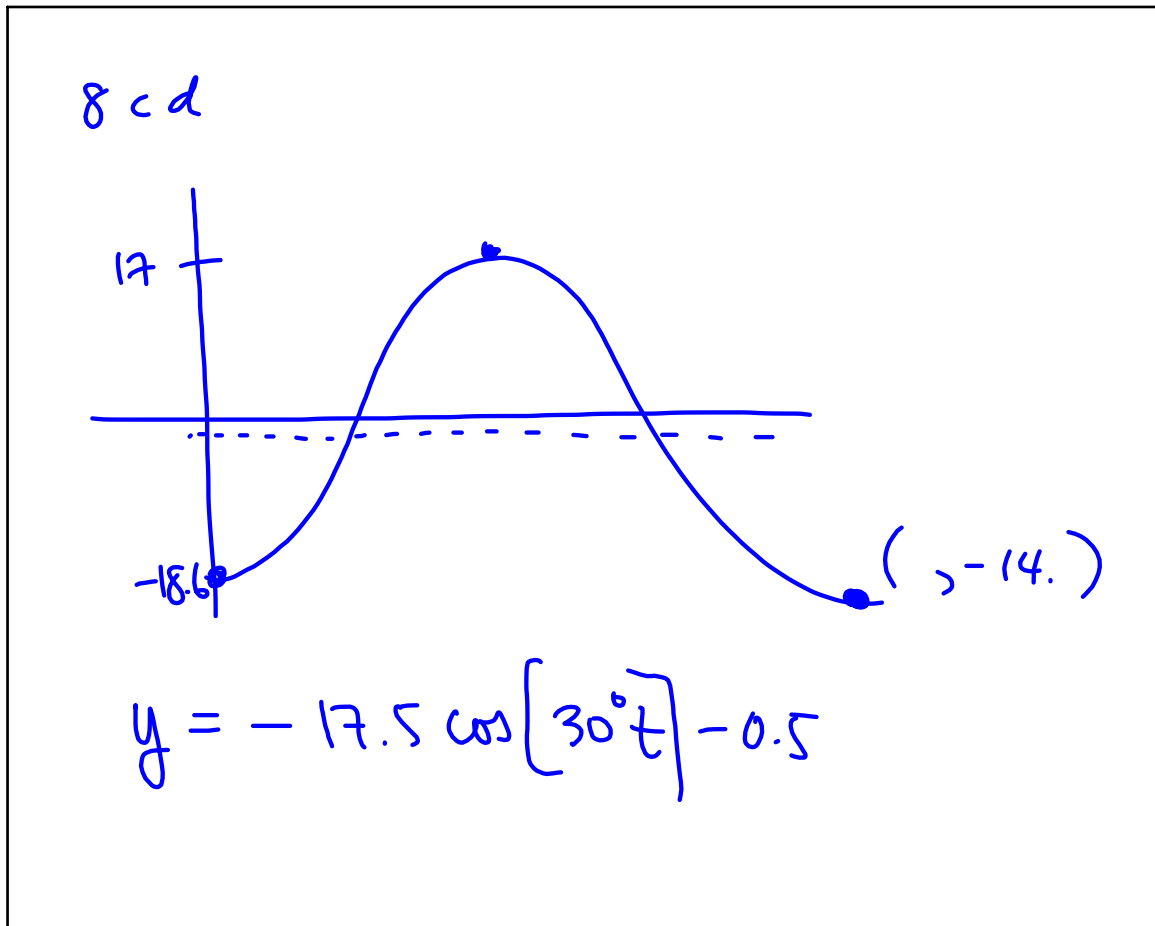
$t = \frac{d}{v}$ $v = 10 \text{ km/h}$
 $= \frac{14\pi}{\frac{1000}{60}}$ $= \frac{1000\pi m}{60 \text{ min}}$

$= \frac{(14\pi)(6)}{1000}$
 $= 0.264$ — period in minutes

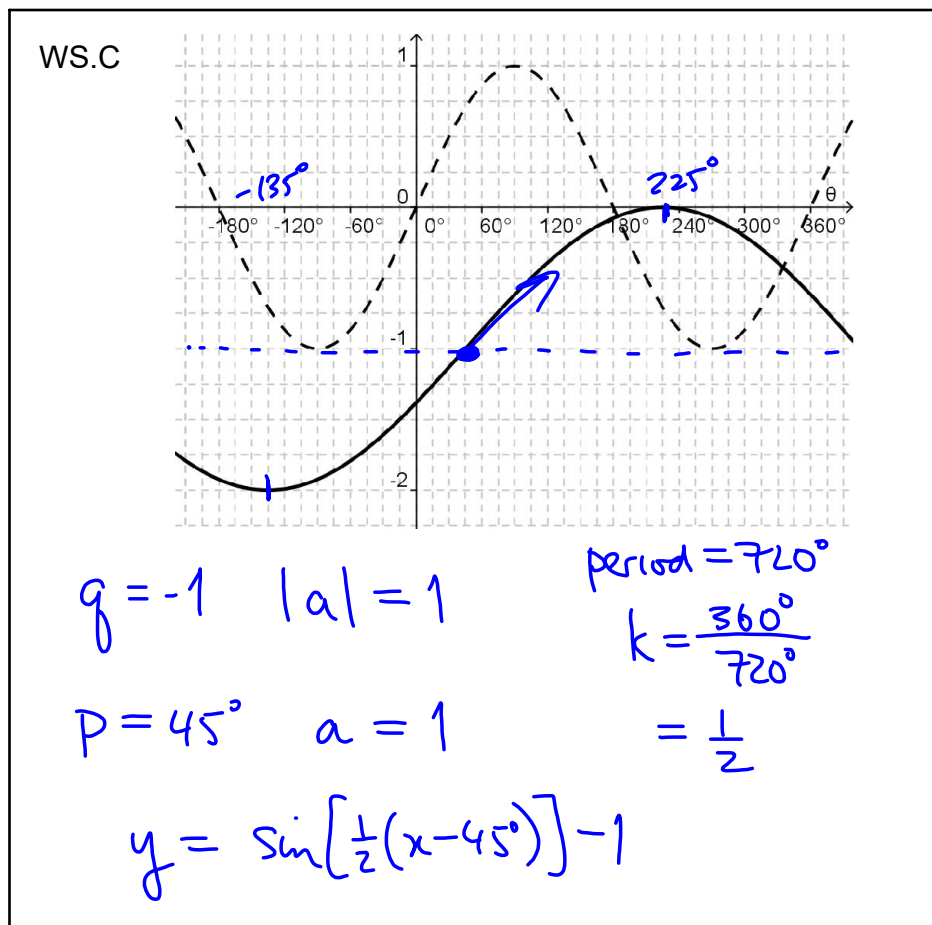
$k = \frac{360^\circ}{0.264}$
 $= 1364^\circ$

$y = 7 \cos(1364^\circ t) + 8$

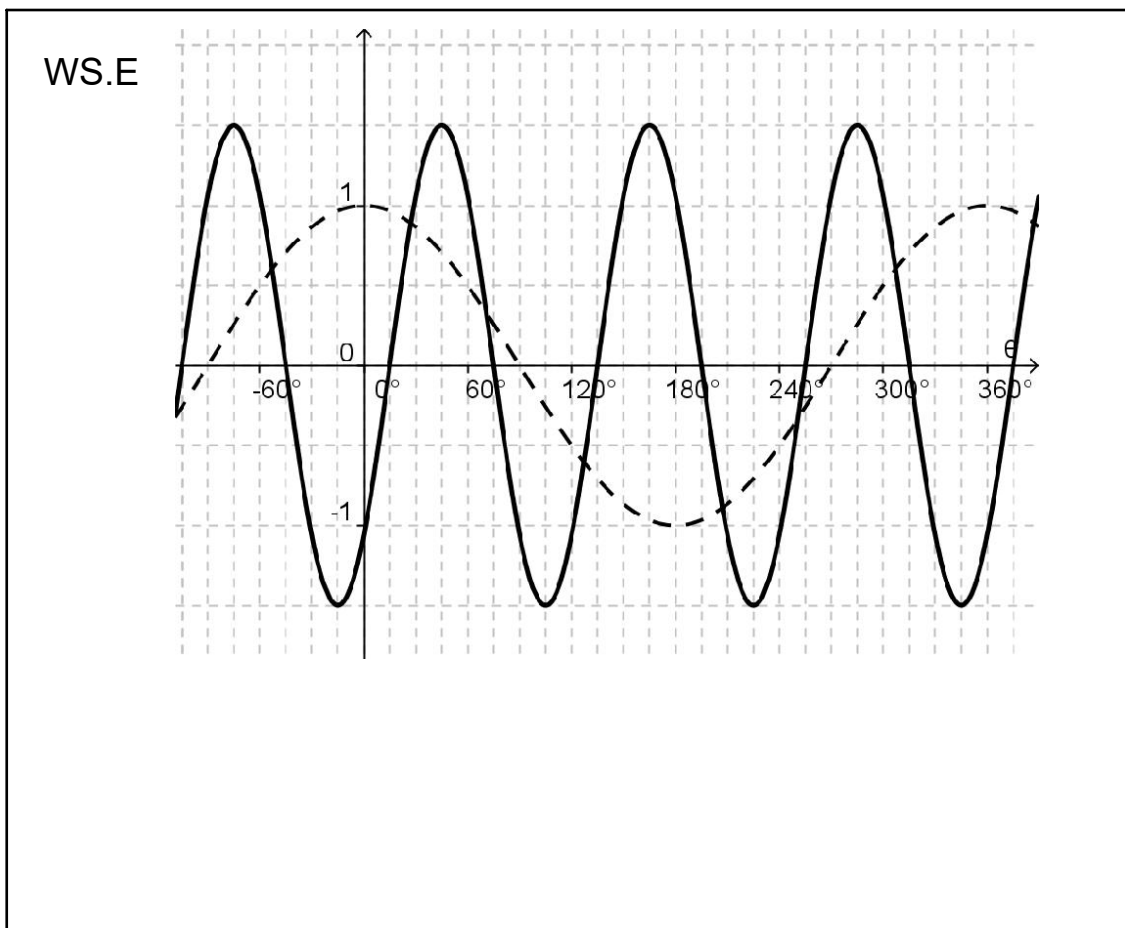
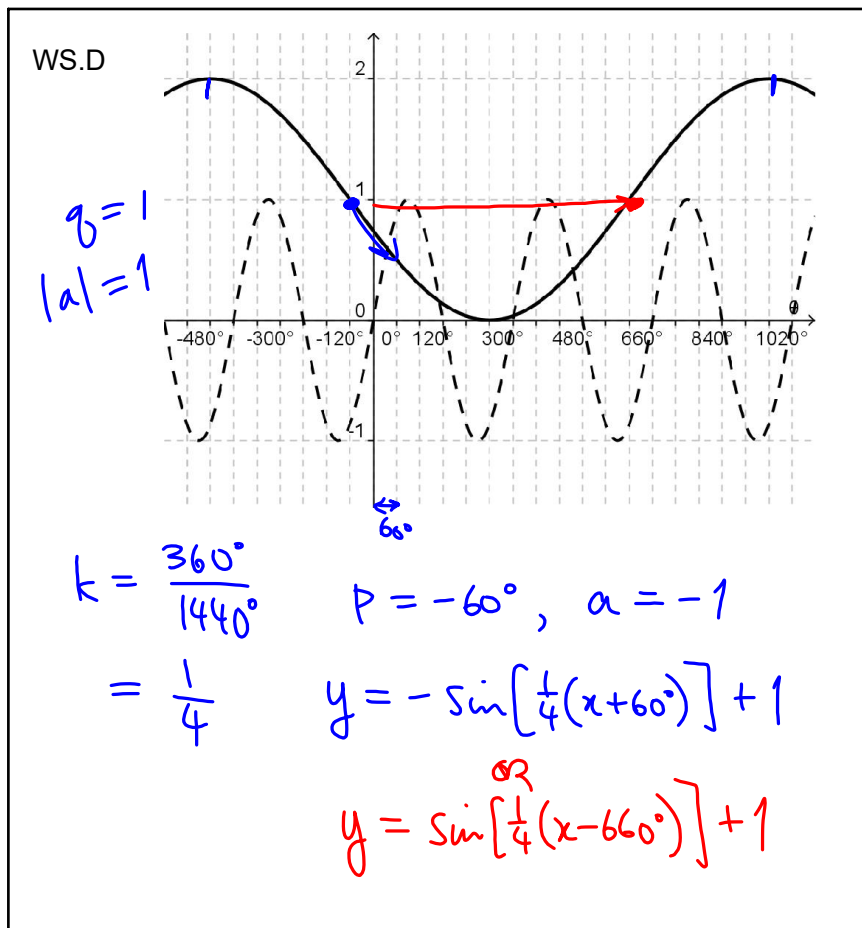
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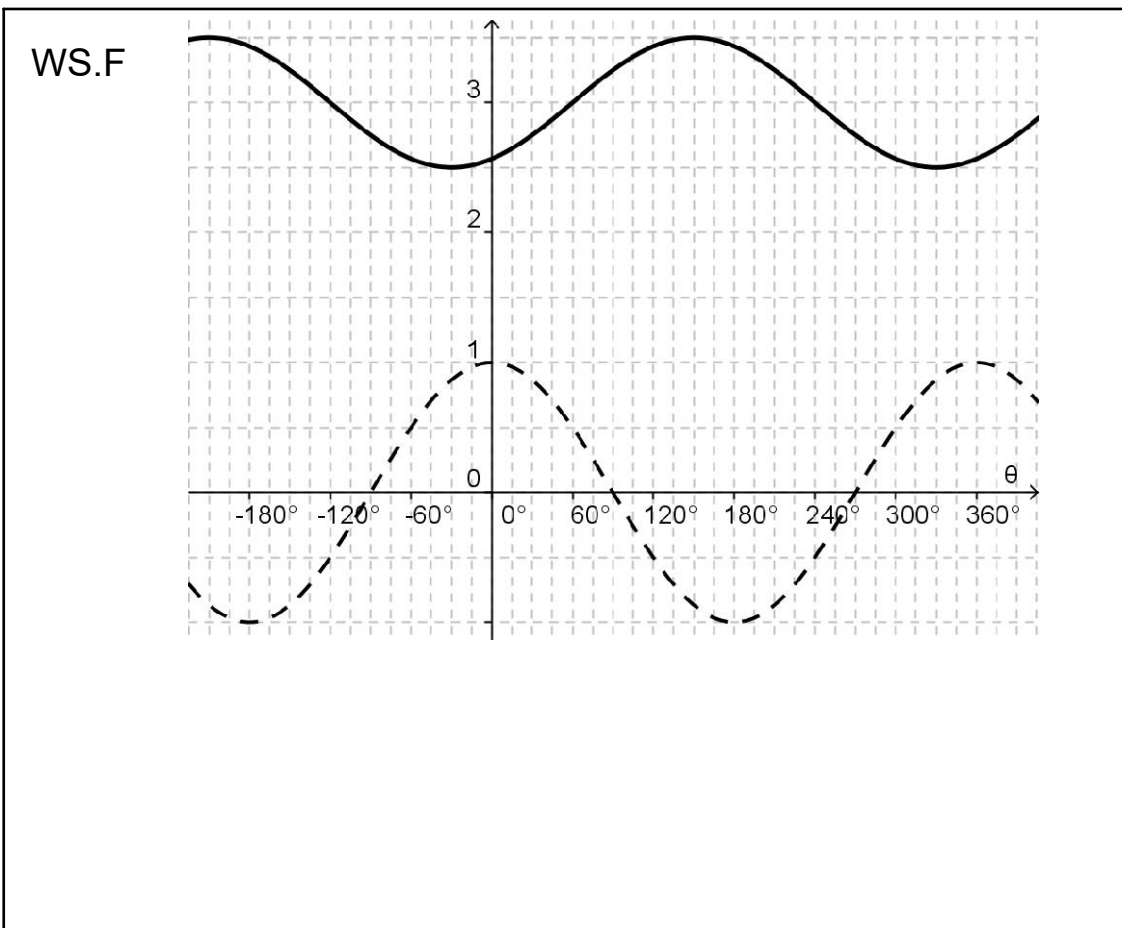


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