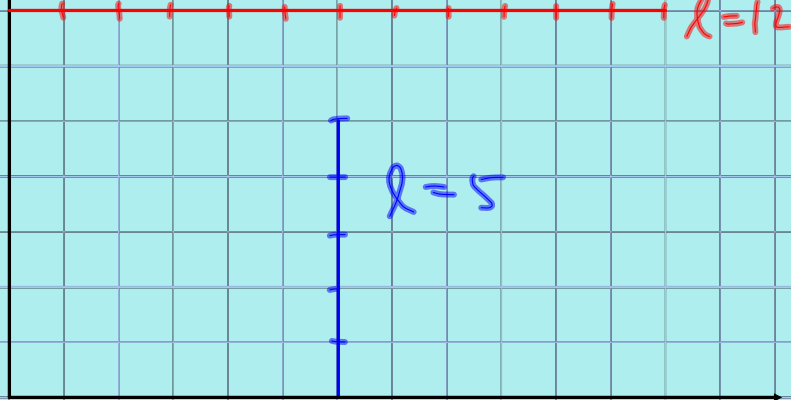


determine the length of
each line segment



determine the length of the line segment



$$h^2 = 5^2 + 12^2$$

$$h^2 = 25 + 144$$

$$h^2 = 169$$

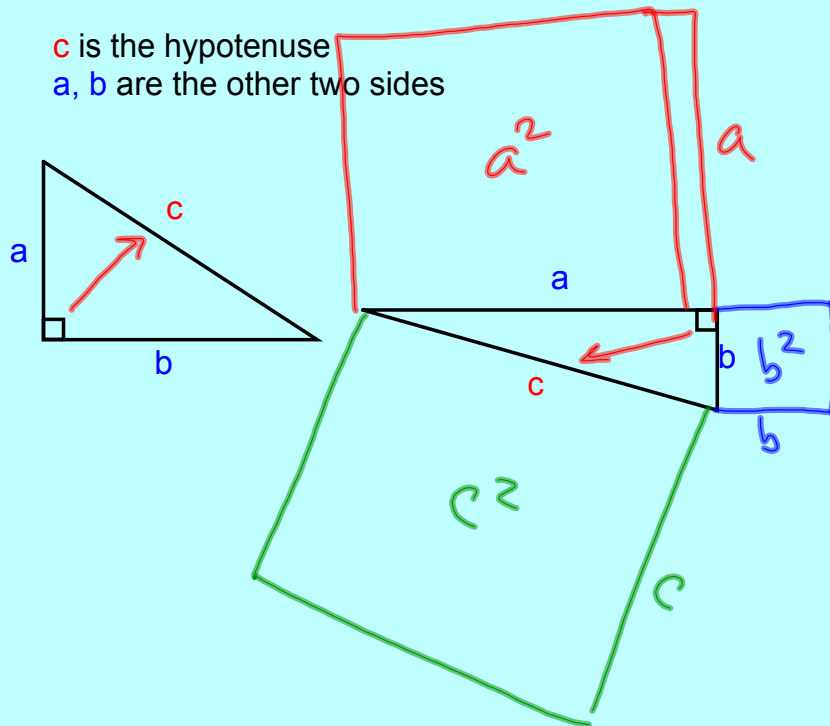
$$h = \sqrt{169}$$

$$h = 13$$

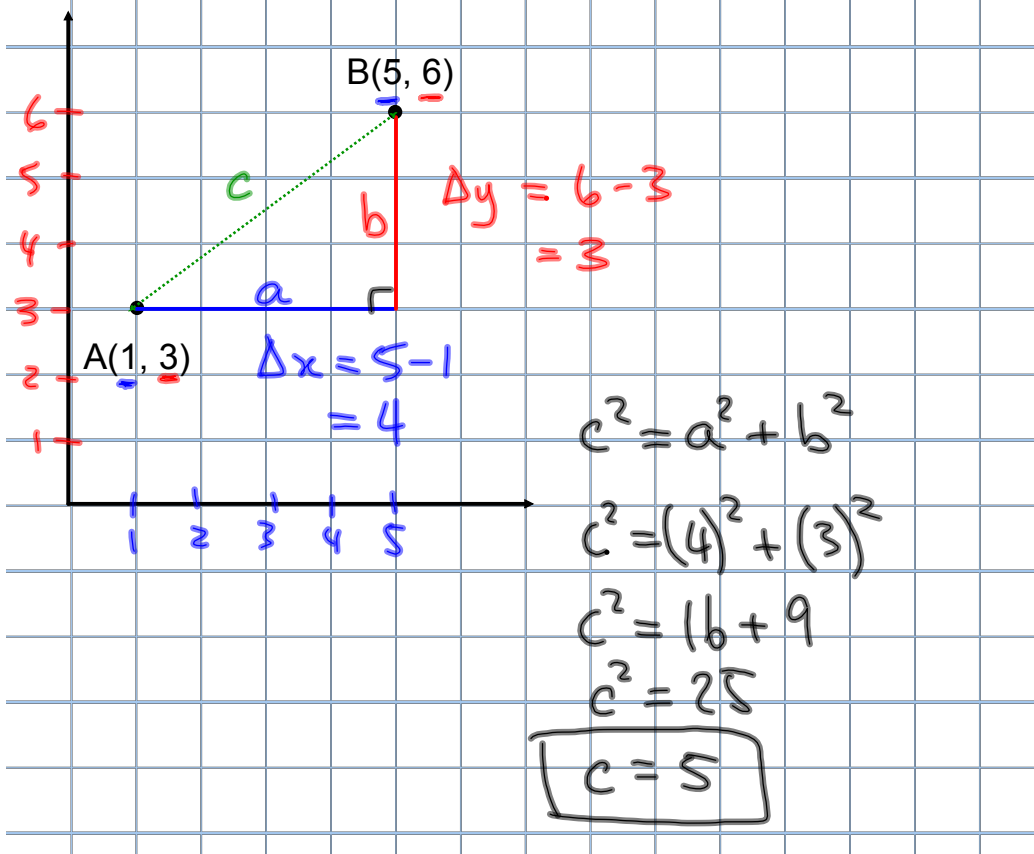
Recall: The Pythagorean theorem (see p.68 to review)

In a right-triangle, $a^2 + b^2 = c^2$, where

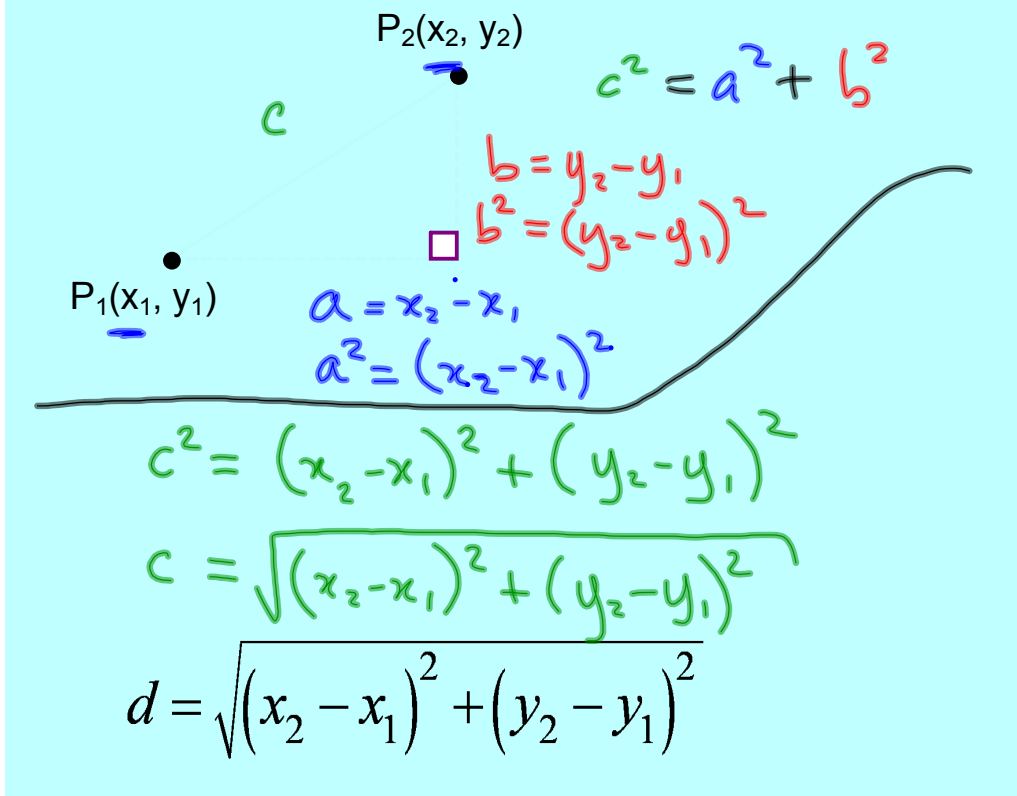
c is the hypotenuse
 a, b are the other two sides



Ex.1 Determine the length of AB (d_{AB} or \overline{AB})

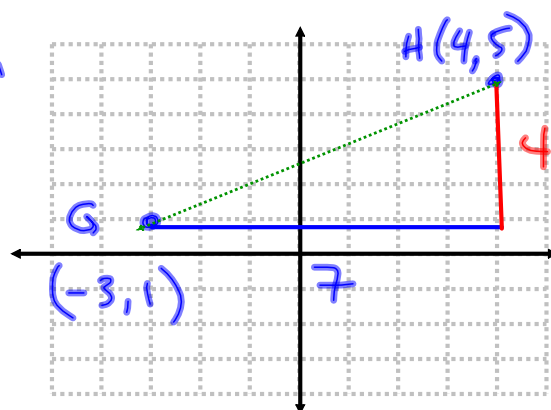


To derive a formula, consider two general points,
 Point #1 is $P_1(x_1, y_1)$ Point #2 is $P_2(x_2, y_2)$

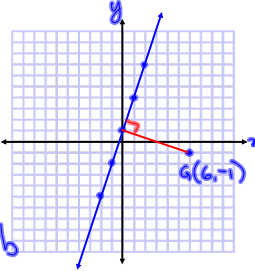


Ex.2 What is the distance between the points $G(-3,1)$ and $H(4,5)$? Give an exact and approximate answer rounded to the nearest tenth.

$$\begin{aligned}
 d &= \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2} \\
 &= \sqrt{(4 - (-3))^2 + (5 - 1)^2} \\
 &= \sqrt{(7)^2 + (4)^2} \\
 &= \sqrt{49 + 16} \\
 &= \sqrt{65} \quad \text{exact answer} \\
 &\doteq 8.1 \quad \text{approximate answer}
 \end{aligned}$$



Ex.3 Calculate the distance between the point $G(6, -1)$ and the line $y = 3x + 1$. Give an exact and approximate answer rounded to the nearest tenth.



① find m_{\perp}
 $m_{\perp} = -\frac{1}{3}$

② $y = m_{\perp}x + b$
 $y = -\frac{1}{3}x + b$

③ Sub $(6, -1)$ to find b
 $-1 = -\frac{1}{3}(6) + b$
 $-1 = -2 + b$
 $+2 \quad +2$
 $1 = b \rightarrow y = -\frac{1}{3}x + 1$ ②

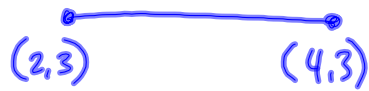
④ find point of intersection
 $y = 3x + 1$ ① $y = -\frac{1}{3}x + 1$ ②
 Sub ① into ②
 $3x + 1 = -\frac{1}{3}x + 1$
 $3x + \frac{1}{3}x = 0$
 $\frac{9}{3}x + \frac{1}{3}x = 0$
 $\frac{10}{3}x = 0$
 $x = 0$
 Sub into ①
 $y = 3(0) + 1$
 $y = 1$
 $\therefore (0, 1)$

⑤ calculate distance between $(0, 1)$ and $(6, -1)$

Assigned Work:

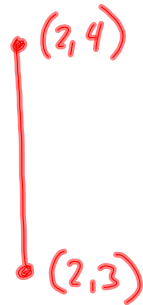
p.86-87 # 1ac, 4cd, 6, 7(draw), 12ab, 15

6.



height does not
change
y-value constant
 $\Delta y = 0$

(f) $(-10,-2)$ to $(6,-2)$



only height
changes
x-value constant
 $\Delta x = 0$

(c) $(-6,8)$ to $(-6,-9)$

(b) to find distance of horizontal
or vertical line, use Δx or Δy ,
but make answer positive

12 (a) $y = 4x - 2$ $(-3, 3)$