

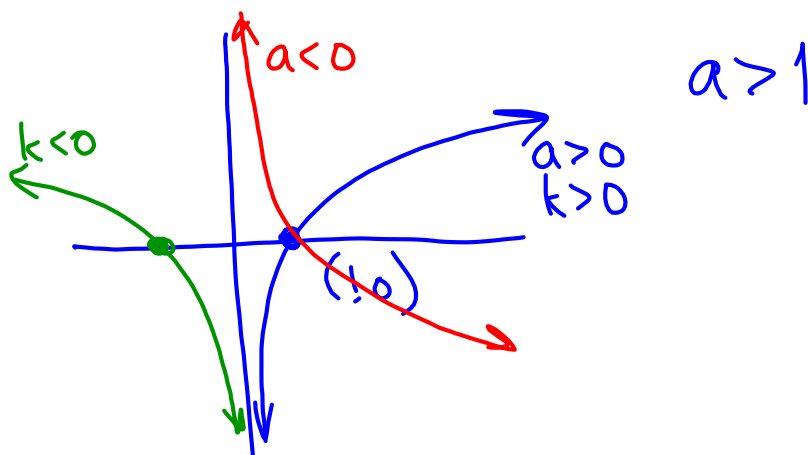
Transformations of Logarithmic Functions

Nov. 28/2014

In general: $y = af[k(x - p)] + q$ For the logarithmic function, $y = \log_b x$, this becomes:

$$y = a \log_b [k(x - p)] + q$$

(note the base can be represented as 'b' to avoid confusion with the scale factor 'a')



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Transformation Strategies:

(1) Transform asymptote, $x = 0$, by horizontal shift p .(2) Transform key points $(1,0)$ and $(b,1)$ using

$$(x, y) \rightarrow \left(\frac{x}{k} + p, ay + q \right)$$

Note: A third point may be required.

(3) The domain depends on the asymptote and any horizontal reflections.

$$\log_b b = 1$$

$$\log_2 2 = y$$

$$2^y = 2^1$$

$$y = 1$$

$$\log_{10} 10 = y$$

$$10^y = 10^1$$

$$y = 1$$

$$\log_b (b^2) = 2$$

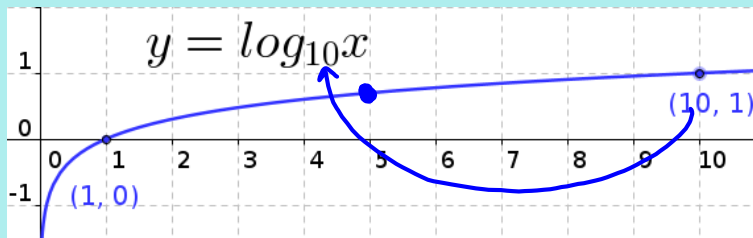
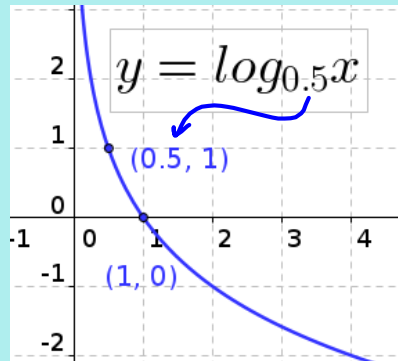
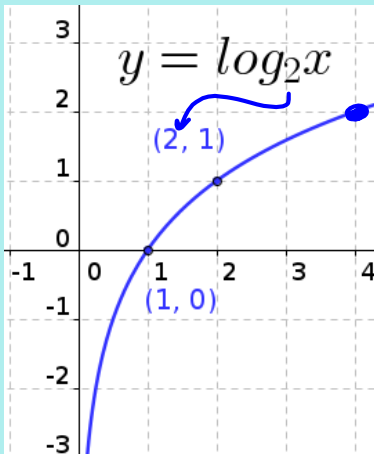
$$\log_5 (5^2) = y$$

$$5^y = 5^2$$

$$\log_b (b^3) = 3$$

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The parent logarithmic function $y = \log_b x$ will have convenient key points at $(1, 0)$ and $(b, 1)$

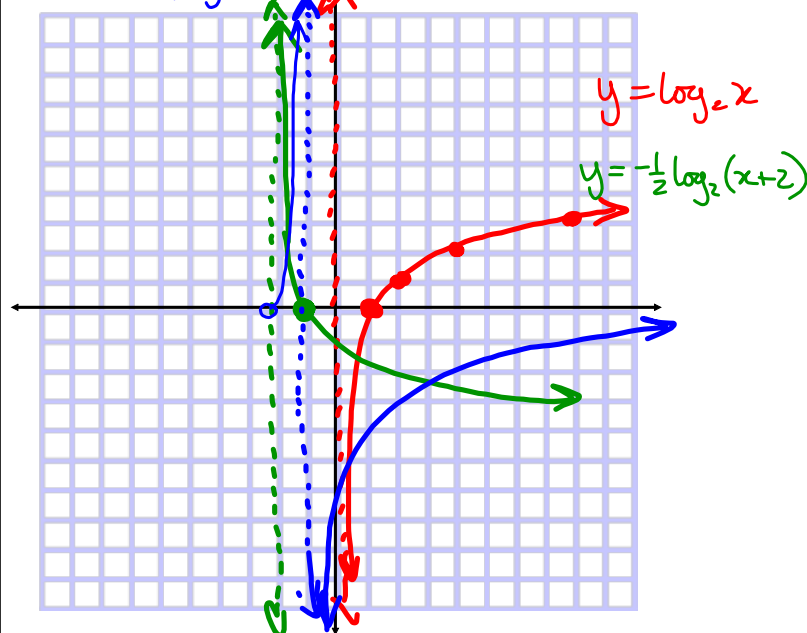


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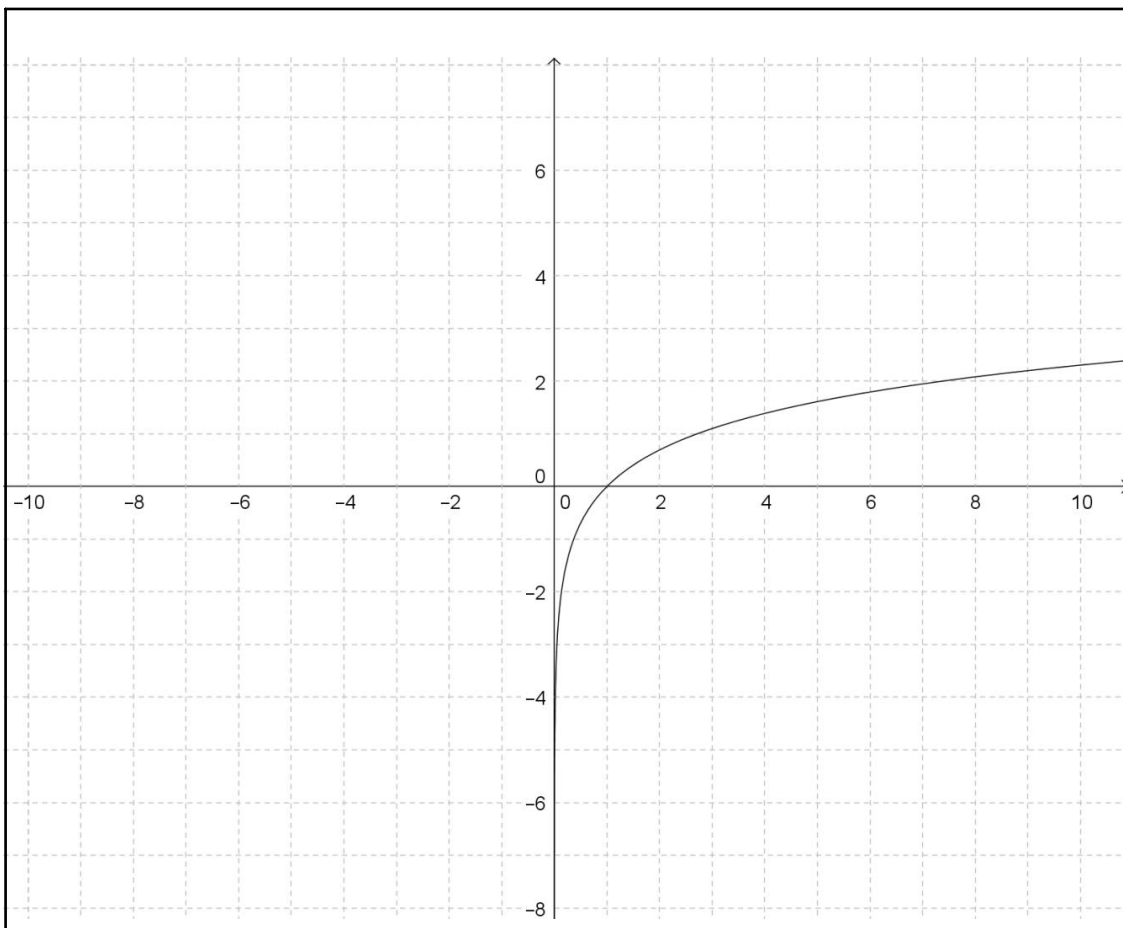
Assigned Work:

p.456 # 1 - 3, 4, 5, 8, 9, 11

$$11. f(x) = \frac{-2}{\log_2(x+2)} = \frac{1}{-\frac{1}{2} \log_2(x+2)}$$



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